

**Algorithm Design**  
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**Solution of Exercise R-2.7**

We assume that a vector  $S$  is used for the representation of the tree  $T$ . Also, we assume that  $S$  contains as elements positions. We give the pseudo-code for the various methods:

**Algorithm** root():  
  **return**  $S.\text{elemAtRank}(1)$

**Algorithm** parent( $v$ ):  
  **return**  $S.\text{elemAtRank}(\lfloor p(v)/2 \rfloor)$

**Algorithm** leftchild( $v$ ):  
  **return**  $S.\text{elemAtRank}(2p(v))$

**Algorithm** rightchild( $v$ ):  
  **return**  $S.\text{elemAtRank}(2p(v) + 1)$

**Algorithm** sibling( $v$ ):  
  **if**  $T.\text{isRoot}(v)$  **then**  
    **throw** InvalidNodeException  
  **if**  $p(v)$  is even **then**  
    **return**  $S.\text{elemAtRank}(p(v) + 1)$   
  **else**  
    **return**  $S.\text{elemAtRank}(p(v) - 1)$

**Algorithm** isInternal( $v$ ):  
  **return**  $(2p(v) + 1 < S.\text{size}() - 1) \wedge (S.\text{elemAtRank}(2p(v)) \neq \text{NULL})$

**Algorithm** isExternal( $v$ ):  
  **return**  $\neg T.\text{isInternal}(v)$

**Algorithm** isRoot( $v$ ):  
  **return**  $(v = S.\text{elemAtRank}(1))$

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Algorithm size():  
   $c \leftarrow 0$   
  for  $i \leftarrow 1, 2, \dots, S.size() - 1$  do  
    if  $S.elemAtRank(i) \neq \text{NULL}$  then  
       $c \leftarrow c + 1$   
  return  $c$ 
```